

# Wetting morphologies at microstructured surfaces

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The wetting of microstructured surfaces is studied both experimentally and theoretically. Even relatively simple surface topographies such as grooves with rectangular cross section exhibit a large variety of different wetting morphologies as observed by atomic force microscopy. This polymorphism arises from liquid wedge formation along the groove corners and from contact line pinning along the groove edges. A global morphology diagram is derived that depends only on two system parameters: (i) the aspect ratio of the groove geometry and (ii) The contact angle of the underlying substrate material. For microfluidics, the most interesting shape regimes involve extended liquid filaments, which can grow and shrink in length while their cross section stays essentially constant. Thus, any method by which one can vary the contact angle can be used to switch the length of the filament, as is demonstrated in the context of electrowetting.

surface topography | wetting phenomena | microfluidics

Rapid and efficient handling of relatively small amounts of liquids is a crucial requirement in molecular biology or biomedicine, e.g., for decoding the human genome or for analysis of small blood samples. To do this, one would like to construct labs-on-a-chip on the micrometer scale (see, e.g., ref. 1). An obvious prerequisite for such a lab is appropriate compartments for the confinement of very small amounts of liquids. These microcompartments should have some basic properties: they should have a well defined geometry by which one can measure the precise amount of liquid contained in them; they should be able to confine *variable* amounts of liquid; and they should be accessible in such a way that one can add and extract liquid in a convenient manner.

A variety of concepts has been developed for the construction of such microfluidic systems. In most cases, a solid matrix is used that surrounds micropipes, reservoirs, etc. Here, we explore an alternative system design, namely *open* microfluidic systems, which contain free liquid/vapor (or liquid/liquid) interfaces. One advantage of these open structures is that they are directly accessible and easy to clean.

There are two general strategies to construct open microfluidic systems. The first one is to chemically pattern planar substrates and to prepare distinct surface domains that differ in their wettability (2–4). The second strategy, explored here, is to use nonplanar surface topographies that can be fabricated by available photolithographic methods. We find that even relatively simple topographies such as grooves with rectangular cross sections already exhibit a large variety of different liquid morphologies such as droplets, filaments, and wedges. A systematic comparison of experimental observations and theoretical calculations reveals, however, that this polymorphism is primarily determined by only two parameters: (i) the aspect ratio  $X$  of the groove geometry, i.e., the ratio of the groove depth to the groove width; and (ii) the contact angle  $\theta$  of the underlying substrate material. For this two-dimensional parameter space, we determine the overall morphology diagram, which contains seven different shape regimes. Therefore, to obtain a certain liquid morphology, one must match surface topography and wettability by a careful choice of the two variables  $X$  and  $\theta$ .

For microfluidics, the most interesting shape regimes involve extended liquid filaments for which the grooves act as confining

microcompartments. These filaments can grow and shrink in length while their cross section stays essentially constant. Filaments with small or negative Laplace pressure are globally stable and can tolerate relatively large external pressures. If one combines the grooved surface topography with methods to switch the contact angle, one can vary the filament length in a controlled and reversible manner, as we explicitly demonstrate by electrowetting (5–8).

## Materials and Methods

**Experimental Procedures and Observations.** We first fabricated grooves with rectangular cross section in silicon by using standard photolithographic methods. These grooves are separated by ridges, again with rectangular cross section. The depth  $d$  of the grooves was between 100 and 900 nm, and their width  $w$  was between 400 nm and 3  $\mu\text{m}$ . Thus, the groove aspect ratio  $X \equiv d/w$  was varied between  $X = 0.04$  and  $X = 0.60$ . These topographically structured silicon substrates were chemically modified to vary the contact angle  $\theta$  for low molecular weight polystyrene within the range  $5^\circ \lesssim \theta \lesssim 80^\circ$  (see *Supporting Text* and Figs. 6–10, which are published as supporting information on the PNAS web site). The liquid structures on top of these substrates were created by vapor condensation of the polystyrene. Finally, these structures were “frozen” by lowering the temperature below the glass transition temperature of the polymer and were then scanned by atomic force microscopy (AFM) in tapping mode as in previous studies (9).

The AFM studies reveal a large variety of different liquid morphologies even though the grooved surface provides a relatively simple topography. This polymorphism, which reflects the interplay between surface topography and wettability, is already apparent from large scale condensation patterns (see Fig. 6). Inspection of these patterns shows that the liquid condensed in the groove exhibits two rather different morphologies, overflowing *droplets* and extended *filaments*. In fact, there is a third, qualitatively distinct, morphology which becomes visible if one increases the resolution of the AFM. One then observes thin liquid *wedges* along the groove corners (between the groove bottom and the groove sidewalls) as shown in Fig. 1 *d–f*.

The liquid filaments and wedges are always confined to the grooves, whereas large droplets spill over the groove edges and spread onto the neighboring ridges. Furthermore, the liquid/vapor interface or meniscus, which bounds these liquid structures, is curved either toward the vapor or toward the liquid, which corresponds to positive or negative Laplace pressure, respectively. Droplets are always curved toward the vapor and, thus, are characterized by positive Laplace pressure. Wedges are typically curved toward the liquid and then exhibit negative

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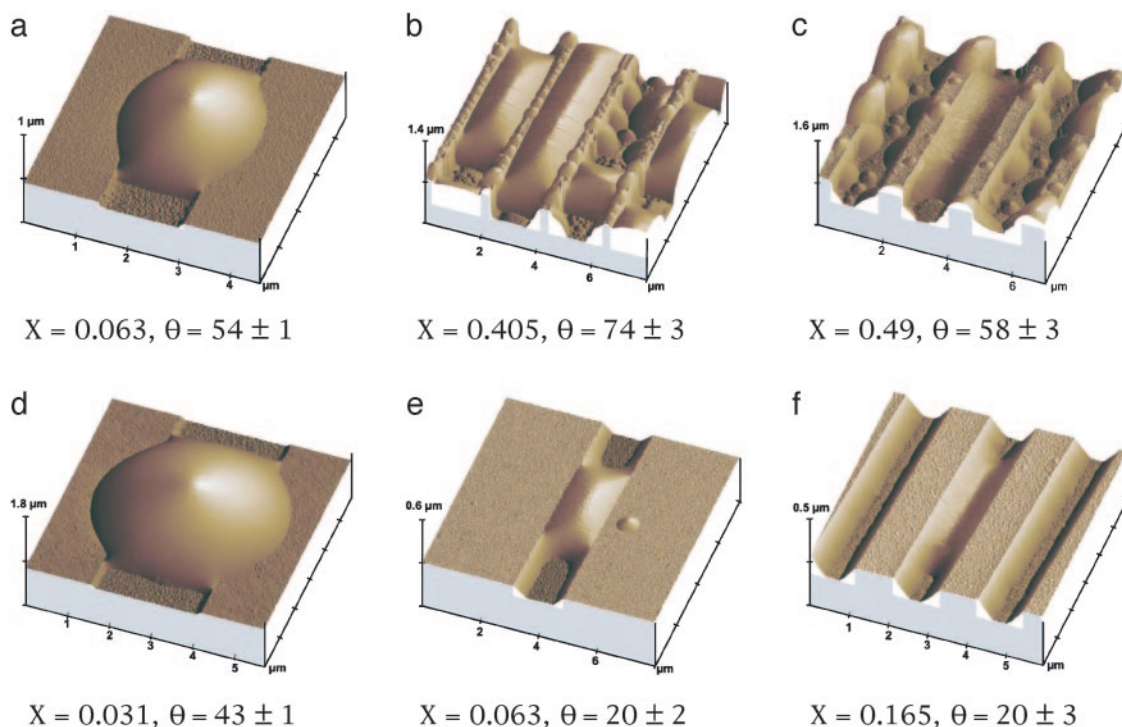
Abbreviation: AFM, atomic force microscopy.

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**Fig. 1.** AFM images of liquid structures in grooves with rectangular cross section. The six morphologies correspond to six different substrates, which differ in the aspect ratio  $X$  of their grooves and in their contact angle  $\theta$  (given in degrees). The experimental uncertainty in  $X$  is of the order of a few percent. The morphologies in *Upper* and *Lower* are observed for substrates with contact angle  $\theta > 45^\circ$  and  $\theta < 45^\circ$ , respectively. For  $\theta > 45^\circ$ , one observes overspilling droplets that have spread onto the ridges (a), extended filaments with positive Laplace pressure (b), and extended filaments with negative Laplace pressure (c). For  $\theta < 45^\circ$ , one observes droplets (d) and filaments (e and f) that are connected to thin liquid wedges along the groove corners. In e, the filaments have positive Laplace pressure; in f, this pressure is negative.

pressure. Filaments, on the other hand, can have positive or negative pressure, as will become clear below.

Close inspection of the AFM micrographs reveals two additional, more subtle, features of these wetting morphologies. First, for  $\theta < 45^\circ$ , all morphologies seem to involve liquid wedges along the groove corners even though these wedges are sometimes difficult to detect and to distinguish from the groove sidewalls. Second, the contact lines of the droplets, filaments, and wedges consist of two different types of segments: the first type is located on the planar parts of the substrate surface (i.e., on groove bottom, groove sidewalls, or ridge surface), whereas the second type of contact line segment is pinned to the groove edges (between the groove sidewalls and the ridges).

**Theoretical Considerations and Calculations.** To understand these different morphologies in a systematic and quantitative way, we first observe that the liquid structures considered here are so small that one can ignore the effects of gravity. In such a situation, the liquid/vapor interfaces bounding these liquid structures have two general properties. First, the mean curvature,  $M$ , of such an interface is determined by the balance between the Laplace pressure  $P_{La}$  and the interfacial tension  $\Sigma$ , as described by the classical Laplace equation  $2M\Sigma = P_{La}$  (10). For a given liquid morphology, both the Laplace pressure and the interfacial tension are constant, which implies that the mean curvature is constant as well. Thus, the droplets, filaments, and wedges are all bounded by liquid/vapor interfaces or menisci that have constant mean curvature. Second, those contact line segments, which are located on the planar parts of the substrate surface, exhibit the unique contact angle  $\theta$  of the underlying substrate material. However, this value of the contact angle does not, in general, apply to pinned contact line

segments, as previously shown for wetting on chemically patterned surfaces (11).

If one condenses only a small amount (or volume) of liquid within the groove, this liquid prefers to sit in the groove corners because it can then be in contact both with the groove bottom and with the groove sidewalls. However, the actual shape that is attained by this small amount of liquid exhibits two  $\theta$  regimes with qualitatively different behavior. For contact angle  $\theta < 45^\circ$ , the liquid spreads along the groove corners over the whole length of the groove and forms thin corner wedges (cW); see Fig. 1e. For  $\theta > 45^\circ$ , on the other hand, the liquid forms corner droplets (cD) which are spatially localized; see Fig. 1a. Thus, if one increased the contact angle  $\theta$  from a value below  $45^\circ$  to a value above  $45^\circ$ , the two corner wedges would undergo the classical Rayleigh–Plateau instability. The boundary value of  $45^\circ$  follows from the general stability criterion for capillary surfaces as obtained by Concus and Finn (12). An analogous distinction applies to single wedges that are formed in grooves with triangular cross section as discussed by Shuttleworth and Bailey (13): If the cross section of the groove has the form of an isosceles triangle with basal angle  $180^\circ - 2\psi$ , the boundary value of the contact angle  $\theta$  is equal to  $\psi$ .

Now, let us increase the liquid volume, which implies that the upper contact line segments of the corner droplets or corner wedges move up the groove sidewalls until they reach the groove edges. These contact line segments then become pinned at the edges, and one obtains pinned droplets (pD) and pinned wedges (pW) as shown in Fig. 2b and f, respectively. Along the pinned contact line segments, the contact angle  $\theta_p$  does not have a unique value but can vary within the whole range

$$\theta \leq \theta_p \leq \theta + 90^\circ. \quad [1]$$





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